BRITISH COLUMBIA SECONDARY SCHOOL MATHEMATICS CONTEST, 2011

Junior Preliminary

Wednesday, March 30

1.	Among the following fractions the largest is:									
	(A)	$\frac{1}{3}$	(B)	$\frac{2}{5}$	(C)	11 30	(D)	5 12	(E)	$\frac{7}{20}$
2.	Starting from the same point at the same time Antonino and Boris run around a circular track that is 1km long. If Antonino runs at 3.5km/hr and Boris runs at 4km/hr and they agree to keep running until they are again at the starting point at the same time, the number of hours they will need to run is:									
	(A)	$\frac{1}{2}$	(B)	1	(C)	$1\frac{1}{2}$	(D)	2	(E)	7
3.	is at is at	least one Que	en. T	To the left of so	ome (Queen is at lea	st one	e other Queen	. To t	he right of some King the left of some Heart minimum number of
	(A)	2	(B)	3	(C)	4	(D)	5	(E)	6
4.	It tal	_	to nu	ımber the pag	es of	a book: 1, 2, 3	, '	The number o	of pag	ges that the book con-
	(A)	111	(B)	121	(C)	122	(D)	211	(E)	212
5.	pain same	ted either all le colour are ac	black djace	or all white.	The ler. If a	arge cube is for at least one of	ormed the si	d in such a wa	ay tha	f the smaller cubes is at no two faces of the ainted black, the total
	(A)	12	(B)	13	(C)	14	(D)	16	(E)	18
6.	A cevian is a line segment that joins one vertex of a triangle and a point, other than a vertex, on the opposite side. If eight cevians are drawn from one vertex of a triangle (as shown in the diagram), the number of triangles formed, counting the original triangle, is:									
	(A)	9	(B)	28	(C)	36				

7. When the sum of a certain set of numbers is doubled, the result is 5248. If one of the numbers is changed from 213 to 312, then twice the sum of the new numbers is:

(A) 5347

(B) 5247

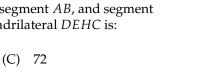
(E) 90

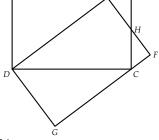
(C) 5560

(D) 5577

(E) 5446

- 8. A jar contains 52 dollars in quarters, one dollar coins, and two dollar coins. If there are 48 coins in the jar and the number of one dollar coins is three times the number of two dollar coins, then the number of quarters in the jar is:
 - (A) 8
- (B) 9
- (C) 12
- (D) 14
- (E) 16
- 9. ABCD and DEFG are rectangles with $\overline{AB} = \overline{DE} = 15$ and $\overline{BC} = \overline{EF} = 9$. The point *E* lies on the segment *AB*, and segment *EF* intersects *BC* at *H*. The area of quadrilateral *DEHC* is:





- 10. The radius of the largest circle contained in a triangle with sides 3, 4, and 5 is:
 - (A) 1

(A) 60

(D) 75

(B) $\frac{5}{12}$

(B) 66

(E) 81

- (C) 2
- (D) $\frac{7}{5}$
- (E) $\frac{4}{5}$
- 11. The number of nonnegative integers *n* for which $\frac{12}{n-3}$ is an integer is:
 - (A) 4
- (B) 6
- (C) 9
- (D) 10
- (E) 12
- 12. Two numbers are removed from the set $\{1,2,3,4,5,6,7,8\}$. The remaining numbers are added to obtain a sum, and the digits of this sum are added to obtain the number N. If N=10, the sum of the numbers removed is:
 - (A) 3
- (B) 4
- (C) 5
- (D) 6
- (E) 8